



Particle Measurement &  
Technology Laboratory



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# Mapping the Performance of a Versatile Water-based Condensation Particle Counter (vWCPC) with Numerical Simulation and Experimental Study

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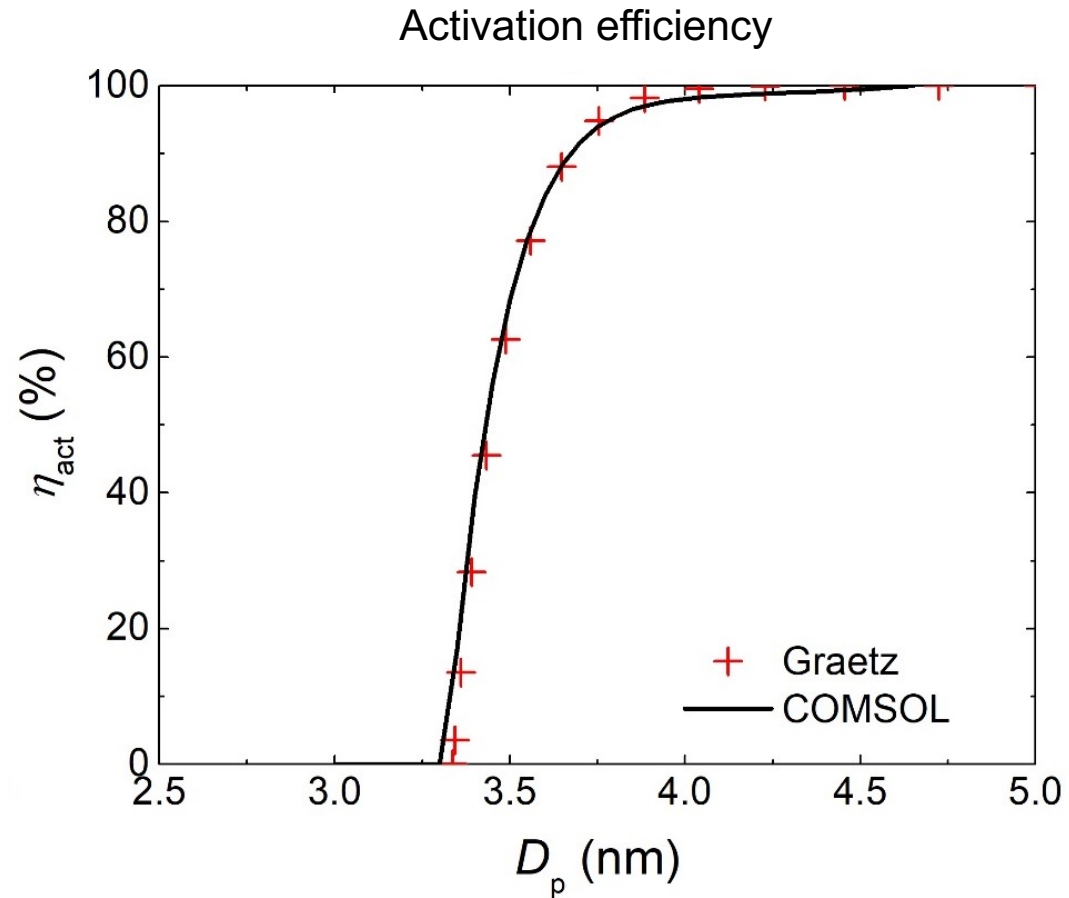
University of Miami

## Introduction

- Accurate airborne aerosol measurements are needed in **different altitudes** and diverse climate regimes.
- Identify a potential CPC that **avoids the health and safety concerns** of butanol-based CPCs.
- Characterize the versatile water CPC **at reduced pressures** for atmospheric airborne research.

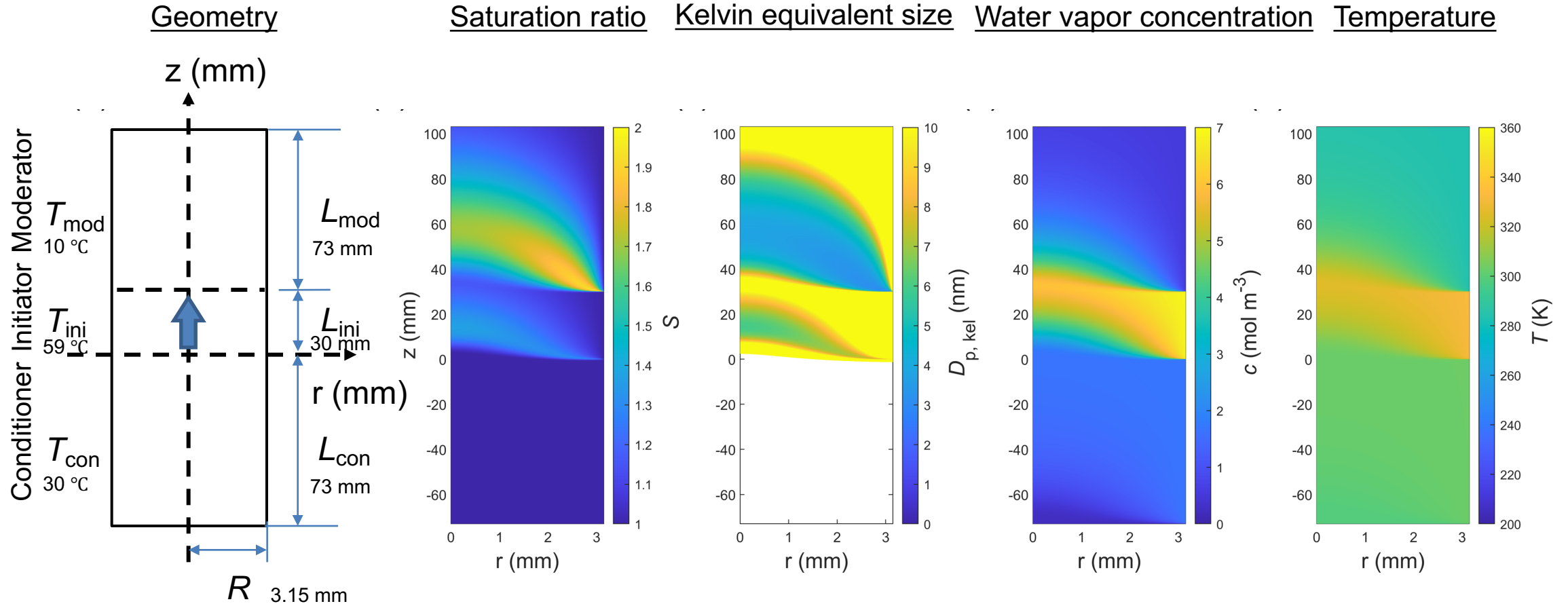


- **Numerical modeling** is advantageous in studying the vWCPC performance with various operating parameters.
- Our previous study shows that **COMSOL** and analytical **Graetz solution** show excellent agreement.



- Determine **particle activation** and **droplet growth** in simulation:
  - saturation ratio profile
  - activation efficiency
  - particle growth
- Investigate the effects of **operational factors** on particle activation and droplet growth:
  - operating temperature
  - inlet pressures (30 - 101 kPa)
  - geometry
- Compare the detection efficiency of **laboratory experiments** and modeling work.

# Simulation geometry and spatial distribution



# Simulation plan

The default settings of vWCPC:

- $T_{con}$ ,  $T_{ini}$ , and  $T_{mod}$  of 30, 59, and 10 °C.
- The aerosol flow rate is 0.3 L min<sup>-1</sup>.
- The relative humidity (RH) of inlet flow is set at 20%.
- The water vapor is saturated at the wall.
- The inlet pressure (P) is 101 kPa (1 atm).

$T_{con}$ : Conditioner temperature  
 $T_{ini}$ : Initiator temperature  
 $T_{mod}$ : Moderator temperature  
 $T_{mid}$ : Temperature midpoint  
 $D$ : Tube diameter  
 $L_{ini}$ : Initiator length

Task	$T_{con}$ (°C) – $T_{ini}$ (°C)	$T_{mod}$ (°C)	$T_{mid}$ (°C)	$P$ (kPa)	$D$ (mm)	$L_{ini}$ (mm)
1	(25, 30, 35) – (55, 60, 65)	10	–	101	6.3	30
2	24–56, 27–59, 30–62	10	40, 43, 46	30–101	6.3	30
3	27–59, 30–59	10	–	30–101	6.3	30
4	30–59	10	–	51, 101	4, 5, 6.3, 8	30
5	30–59	10	–	51, 101	6.3	10, 20, 30, 40, 50

Theory of particle activation

$$S = \frac{P}{p_s}$$

$$D_{p,ke1} = \frac{4\sigma v_m}{kT \ln(S)}$$

$$\eta_{act} = \frac{\int_0^{R_{act}} 2\pi r w N dr}{Q_v N_0}$$

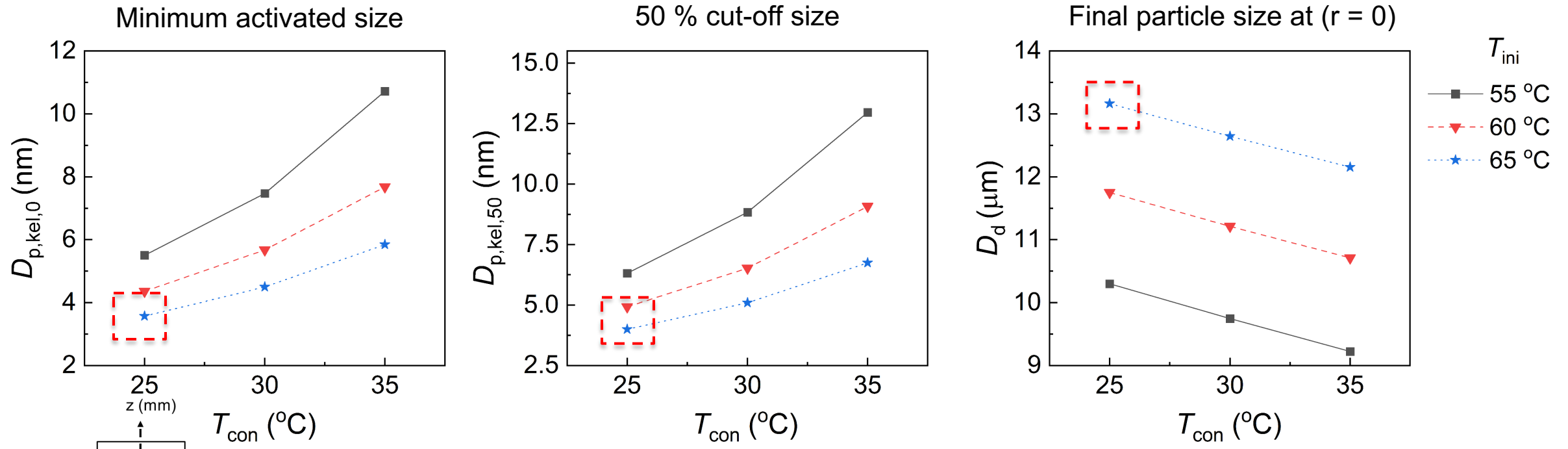
Theory of droplet growth

$$\frac{dD_p}{dt} = \frac{4D_v' M (C - C_d)}{\rho D_p}$$

$$\frac{dT_d}{dt} = \frac{3}{c_p \rho D_p} \left( H_{vap} \rho \frac{dD_p}{dt} - 4k_g' \frac{(T_d - T)}{D_p} \right)$$

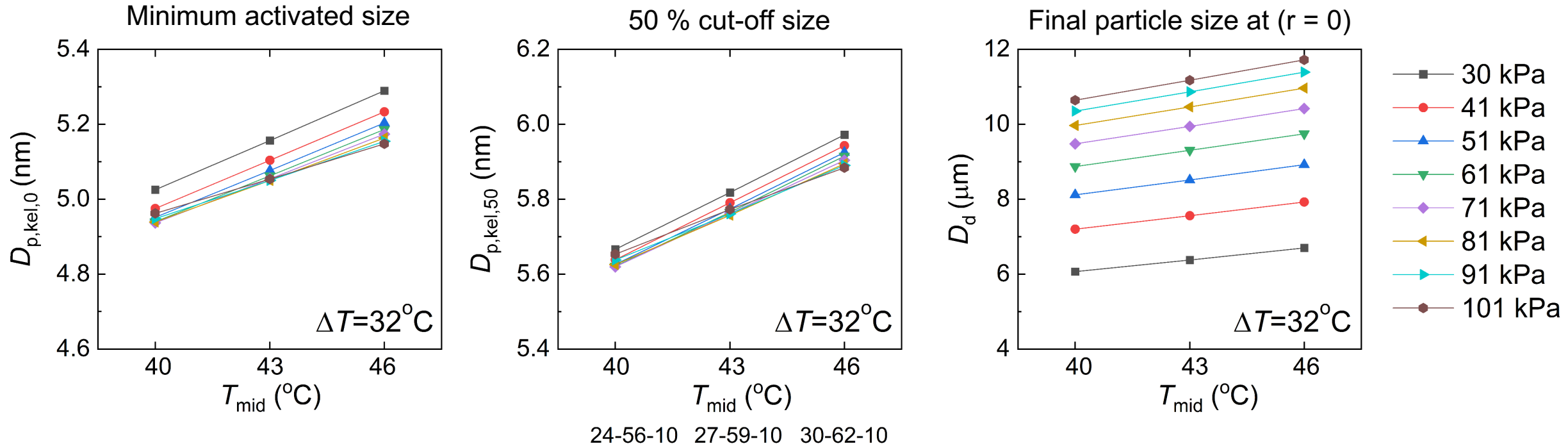
- $D_{p,ke1,0}$ : smallest size of particle that can be activated
- $D_{p,ke1,50}$ : size of particle that has a 50% activation efficiency
- $D_d$ : final growth droplet size

# Simulation results: Comparisons of temperature-dependent particle activation and droplet growth



- The activated size becomes **smaller** as the  $\Delta T$  increases.
- Final particle size  $D_d$  is the **greatest** with size of 13.20 μm at the temperature of **25–65–10 °C**.

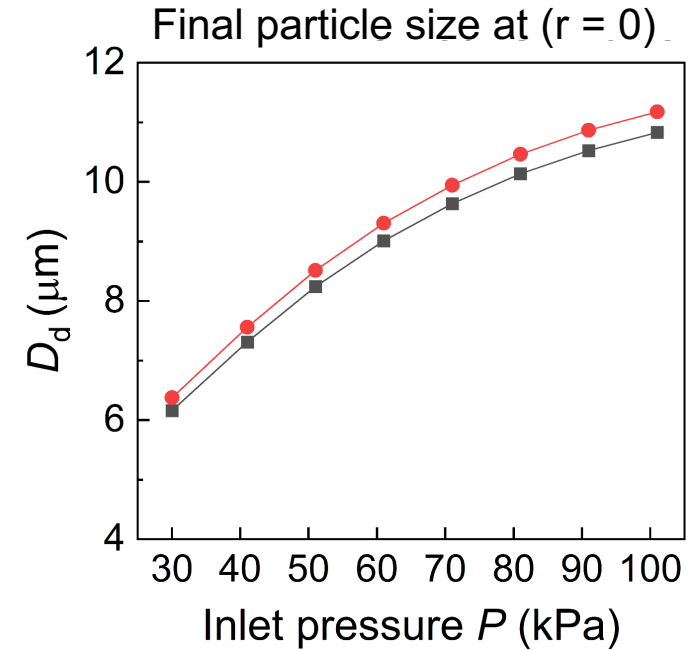
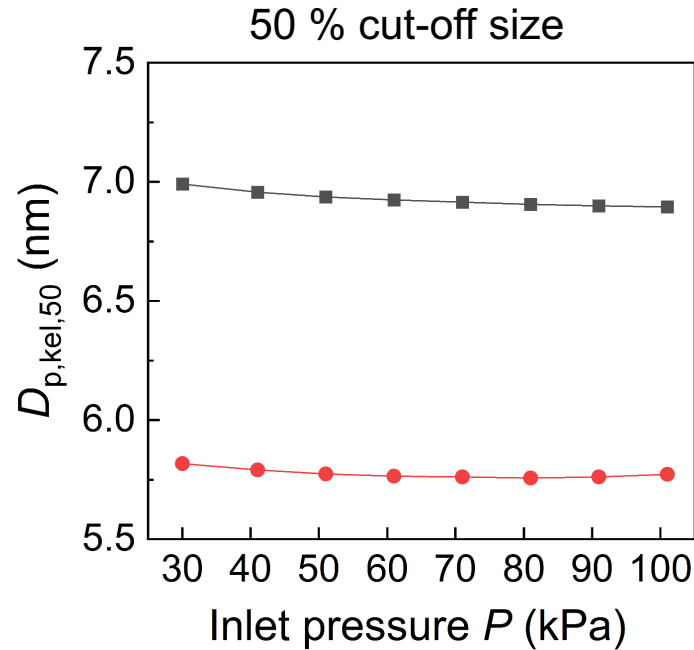
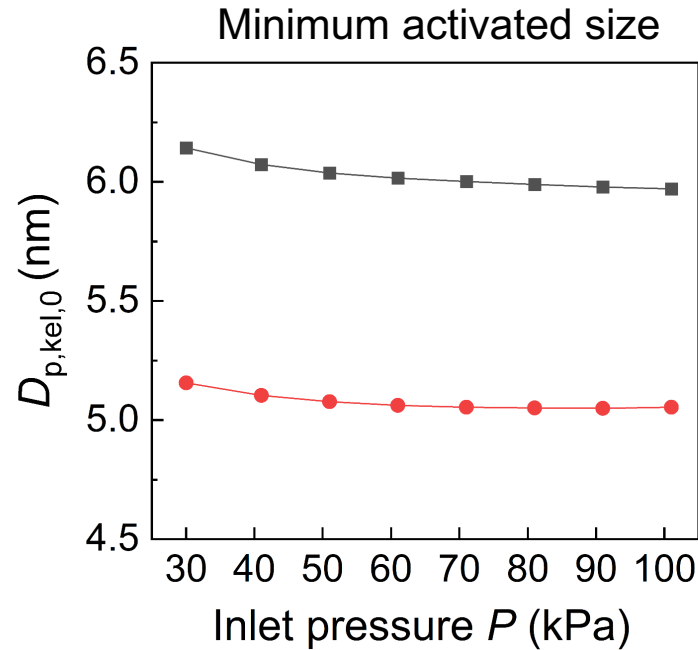
# Simulation results: Effect of temperature midpoints ( $T_{\text{mid}} = \frac{T_{\text{con}} + T_{\text{ini}}}{2}$ ) on particle activation and droplet growth



- **Improved** particle activation can be achieved by **lowering** the temperature midpoint.
- By lowering the temperature midpoint by 6 °C,  $D_d$  becomes smaller **by 14%**, and  $D_d$  decreases **by 45%** with reduced pressure.



# Simulation results: Effect of inlet operation pressure on particle activation and droplet growth

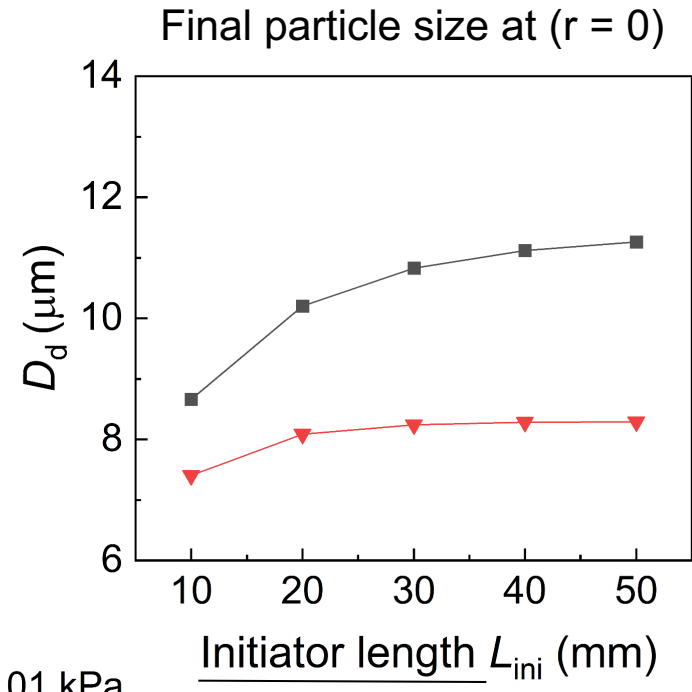
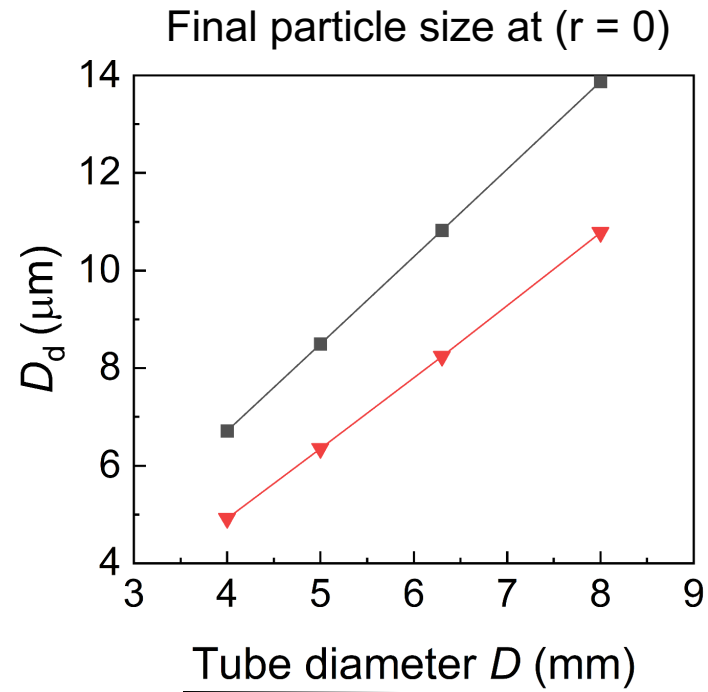


—■— 30 °C - 59 °C - 10 °C

—●— 27 °C - 59 °C - 10 °C

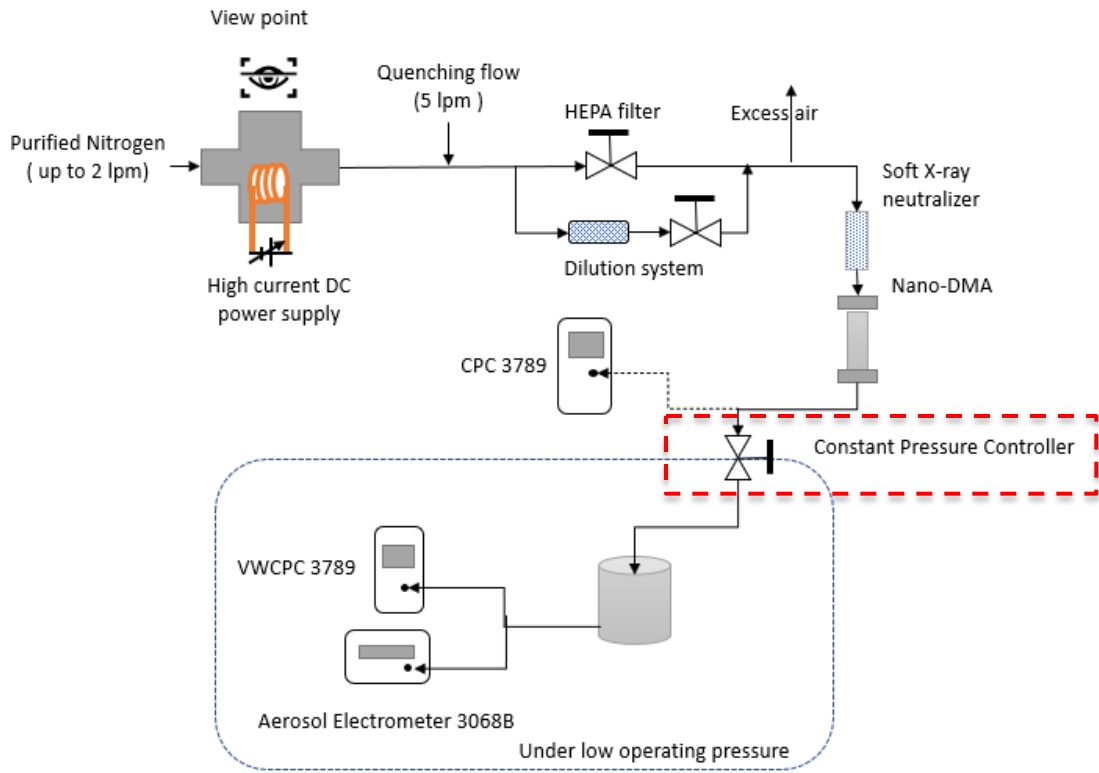
- **2 - 3% greater**  $D_{p,ke1,0}$  and  $D_{p,ke1,50}$  under reduced inlet pressures.
- A smaller final droplet size (**~ 40 % reduction**) was observed at reduced pressure of 30 kPa.
- Lower inlet pressure, the final droplet size **reduced more** notably.

## Simulation results: Effect of geometry on particle activation and droplet growth

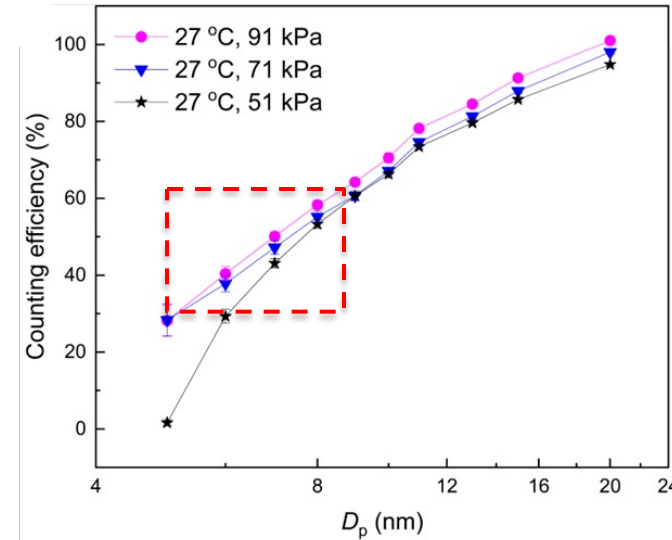


- **No noticeable changes** in particle activation.
- An **increased tube diameter  $D$**  and **initiator length  $L_{ini}$**  improve the performance of particle growth.

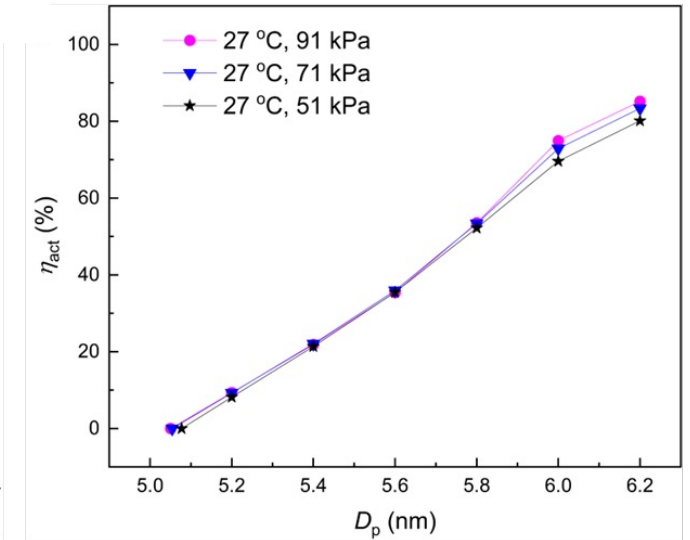
# Experimental measurement of detection efficiency agrees well with simulation results



## Experimental results



## Simulation results



- The counting efficiency slightly **decreases** with the decrease in the operating pressure.
- The cut-off size in both experimental and simulation results is in the range of **5 - 7 nm**.

- This study guides further optimization of the performance of vWCPCs for accurate detection of particles and **atmospheric aerosol measurement applications**.
- Temperature effects
  - **Increased** temperature difference  $\Delta T$  improved vWCPC particle activation and droplet growth.
  - **Decreased** temperature midpoint  $T_{\text{mid}}$  improved vWCPC particle activation, but not for growth.
- Pressure effects
  - **40 % reduction** in final droplet size was obtained at a reduced pressure of **30 kPa** compared to standard pressure (101 kPa).
- Geometry effects
  - **Increased** tube diameter improved the particle growth.
  - **Increased** initiator length **limited impacts** on improving vWCPC performance.
- Experimental measurement of detection efficiency **agrees** well with simulation results.

## Thank you! Q&A



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Hao, et al. (2023) Mapping the performance of a versatile water-based condensation particle counter (vWCPC) with numerical simulation and experimental study. *Atmospheric Measurement Techniques*.

allowed particle growth time

$$t_g \sim D^2 L^* / Q_v,$$

homogeneous nucleation rate (I)

$$I = 2 \times \left[ \frac{p}{(2\pi mkT)^{1/2}} \right] \times (nv_m^{2/3}) \times \left[ \frac{\sigma v_m^{2/3}}{kT} \right]^{1/2} \times \exp \left[ -\frac{16\pi\sigma^3 v_m^2}{3(kT)^3 (\ln S)^2} \right]$$